Keep These Systems Steady-State:

Towards Surge-Free Water Supply Networks

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Content

- The problem.
- A bit of theory.
- What I did.
- What I found.
- Q&A

The problem

- Mains burst
- Cost
 - Direct: repairs, claims, damages, water loss, ...
 - Indirect: interruptions & delays, societal impacts, ...
- Deterioration modelling

STW in figures

- STW
 - 7.7m customers
 - ~47000km mains
 - 1.8 billion litres/day

• Bursts

- $\sim 5k-7k$ no. of mains bursts in a year
- ~**7400** no. of bursts in a year (2011-12)
- ~**77**k bursts between (2003-13)
- Operational challenges
 - Supply interruption (>12hr): ~**5200** prop. (2011-12)
 - Leakage: \sim **150** l/prop/d or \sim **10** m3/km/d
 - Discolouration incidents: ~6600 complaints (2011-12)



The theory

- Bursts factors
 - Properties of pipe
 - Material deterioration (environment, corrosion, ...)
 - Loadings



Failure mechanism



Fatigue Failure



Pressure transient

- Definition
 - Pressure waves as result of change in velocity
 - e.g. for DI pipe: 1m/s of velocity change causes ~112mH2O of pressure change
- Causes
 - pump switch; valve operation; air valve slam; sudden pipe burst; large consumers; operational activities, etc.
- Consequences
 - burst, assets deterioration, contamination, vacuum, fatigue failure, vibration, noise, etc.
- Mitigation
 - pump switch control, Valve operation control, Surge protection tower, tank, air vessel, etc., Change in pipeline characteristics, etc.

Pressure transient



Time (UTC)

Project development

- Experimental work and data collection
- Pressure transient data analysis
- Hydraulic connectivity and energy dissipation
- Statistical deterioration model
- Costing framework

Data collection

- Design of experiment
 - Stratified random sampling

- > 400 locations
- 10-120 days logging
- Up to128 Samples/second

CPIS

• Cumulative Pressure-Induced Stress: A single metric which combines number of cycles, cycle amplitudes, and mean pressure.

$$PV = \begin{bmatrix} P_{\text{max}} - P_{\text{min}} \end{bmatrix}_{24hr} \quad DP = f \begin{bmatrix} |DP|, N_{DP} \end{bmatrix} \quad CPIS = f \begin{bmatrix} \overline{P}, DP, N_{DP} \end{bmatrix}$$
Diurnal pressure variation
$$Dynamic \text{ Pressure} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ pressure} transients) \quad CPIS: Cumulative \text{ Pressure-Induced} \text{ Stress} (including \text{ Pressure} transients) \quad CPIS: Cumulative \text{ Pressure} transients \quad CPIS: Cumulative \text{ Pressure} transie$$

Energy dissipation

- Tracing techniques
- Energy dissipation elements





Logistic regression

$$g(X) = \ln\left(\frac{\pi(X)}{1 - \pi(X)}\right) = \beta_0 + \beta_1 X_1 + \beta_2 X_2 + \dots + \beta_n X_n$$



Costing framework

- Total cost of pipe failure
- Total cost of intervention



Question time...